## Standard Error Calculation

## Procedure:

Step 1: Calculate the mean (Total of all samples divided by the number of samples).
Step 2: Calculate each measurement's deviation from the mean (Mean minus the individual measurement).

Step 3: Square each deviation from mean. Squared negatives become positive.
Step 4: Sum the squared deviations (Add up the numbers from step 3).
Step 5: Divide that sum from step 4 by one less than the sample size ( $n-1$, that is, the number of measurements minus one)

Step 6: Take the square root of the number in step 5. That gives you the "standard deviation (S.D.)."
Step 7: Divide the standard deviation by the square root of the sample size ( n ). That gives you the "standard error".

Step 8: Subtract the standard error from the mean and record that number. Then add the standard error to the mean and record that number. You have plotted mean $\pm 1$ standard error (S. E.), the distance from 1 standard error below the mean to 1 standard error above the mean

## Example:

| Name | Height to nearest 0.5 cm | 2 Deviations $(\mathrm{m}-\mathrm{i})$ | 3 Squared deviations $(\mathrm{m}-\mathrm{i})^{2}$ |
| :--- | :---: | :---: | :---: |
| 1. Waldo | 150.5 | 11.9 | 141.61 |
| 2. Finn | 170.0 | -7.6 | 57.76 |
| 3. Henry | 160.0 | 2.4 | 5.76 |
| 4. Alfie | 161.0 | 1.4 | 1.96 |
| 5. Shane | 170.5 | -8.1 | 65.61 |
| $\mathbf{n}=5$ | 1 Mean $\mathbf{m}=162.4 \mathrm{~cm}$ |  | 4 Sum of squared deviations <br> $\sum(\mathrm{m}-\mathrm{i})^{2}=272.70$ |

5 Divide by number of measurements-1. $\sum(m-i)^{2} /(n-1)=272.70 / 4=68.175$

6 Standard deviation $=$ square root of $\sum(m-i)^{2} / n-1=\sqrt{ } 68.175=8.257$

7 Standard error = Standard deviation $/ \sqrt{ } n=8.257 / 2.236=3.69$
$\mathbf{8} \mathbf{m} \pm \mathbf{1 S E}=162 \pm 3.7$ or 159 cm to 166 cm for the men ( $162.4-3.7$ to $162.4+3.7$ ).

